



# STL - Principles and Practice

**Victor Ciura** - Technical Lead, Advanced Installer

**Gabriel Diaconița** - Senior Software Developer, Advanced Installer

<http://www.advancedinstaller.com>

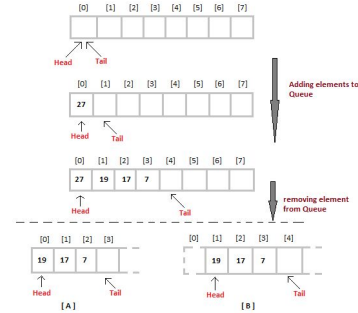
**CAPHYON**

# Agenda

## Part 0: STL Intro.



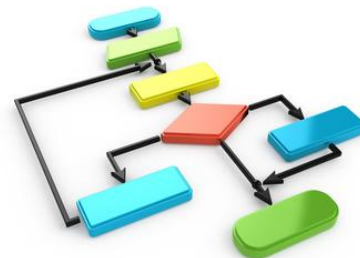
## Part 1: Containers and Iterators



## Part 2: STL Function Objects and Utilities



## Part 3-4: STL Algorithms Principles and Practice



Part 3:  
**STL Algorithms - Principles and Practice**

*“Prefer algorithm calls to hand-written loops.” - Scott Meyers, “Effective STL”*

# Why prefer to reuse (STL) algorithms?

## *Correctness*

Fewer opportunities to write bugs (less code => less bugs) like:

- iterator invalidation
- copy/paste bugs
- iterator range bugs
- loop continuations or early loop breaks
- guaranteeing loop invariants
- issues with algorithm logic

**Code is a liability:** maintenance, people, knowledge, dependencies, sharing, etc.

**More code** => more bugs, more test units, more maintenance, more documentation

# Why prefer to reuse (STL) algorithms?

## *Code Clarity*

- Algorithm **names** say what they do.
- Raw “for” loops don’t (without reading/understanding the whole body).
- We get to program at a higher level of **abstraction** by using well-known **verbs** (find, sort, remove, count, transform).
- A piece of code is **read** many more times than it’s **modified**.
- **Maintenance** of a piece of code is greatly helped if all future programmers understand (with confidence) what that code does.

# Why prefer to reuse (STL) algorithms?

## *Modern C++ (C++11/14 standards)*

- Modern C++ adds more useful algorithms to the STL library.
- Makes existing algorithms much easier to use due to simplified language syntax and lambda functions (closures).

```
for(vector<string>::iterator it = v.begin(); it != v.end(); ++it) { ... }
```

```
for(auto it = v.begin(); it != v.end(); ++it) { ... }
```

```
for(auto it = v.begin(), end = v.end(); it != end; ++it) { ... }
```

```
std::for_each(v.begin(), v.end(), [](const auto & val) { ... });
```

```
for(const auto & val : v) { ... }
```

# Why prefer to reuse (STL) algorithms?

## *Performance / Efficiency*

- Vendor implementations are highly **tuned** (most of the times).
- Avoid some unnecessary temporary copies (leverage **move** operations for objects).
- Function helpers and functors are **inlined** away (no abstraction penalty).
- Compiler optimizers can do a better job without worrying about **pointer aliasing** (auto-vectorization, auto-parallelization, loop unrolling, dependency checking, etc.).

# The difference between **Efficiency** and **Performance**

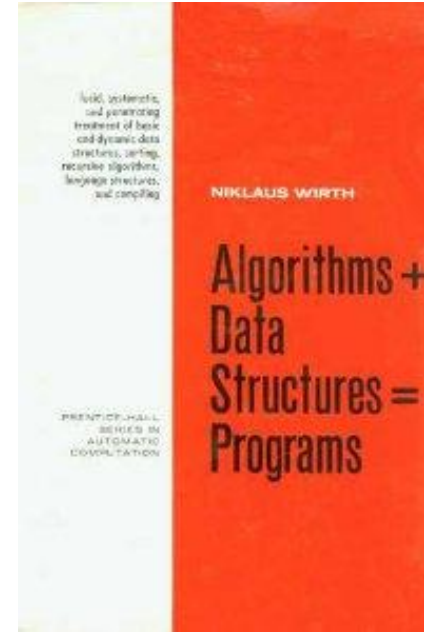
Why do we care ?

Because: “Software is getting slower more rapidly than hardware becomes faster.”

“A Plea for Lean Software” - Niklaus Wirth

<b>Efficiency</b>	<b>Performance</b>
the amount of work you need to do	how fast you can do that work
governed by your algorithm	governed by your data structures

Efficiency and performance are **not dependant** on one another.





# Optimization

Optimization strategy:

1. **Identification:** profile the application and identify the worst performing parts.
2. **Comprehension:** understand what the code is trying to achieve and why it is slow.
3. **Iteration:** change the code based on step 2 and then re-profile; repeat until fast enough.

Very often, code becomes a bottleneck for one of four reasons:

- It's being called too often.
- It's a bad choice of algorithm:  $O(n^2)$  vs  $O(n)$ , for example.
- It's doing unnecessary work or it is doing necessary work too frequently.
- The data is bad: either too much data or the layout and access patterns are bad.

# Generic Programming Drawbacks

- abstraction penalty
- implementation in the interface
- early binding
- horrible error messages (*no formal specification* of interfaces, **yet**)
- duck typing
- algorithm could work on some data types, but fail to work/compile on some other new data structures (different iterator category, no copy semantics, etc)

We need to fully specify requirements on algorithm types => **Concepts**

## What Is A *Concept*, Anyway ?

*Formal* specification of concepts makes it possible to **verify** that *template arguments* satisfy the **expectations** of a template or function during overload resolution and template specialization.

Examples from **STL**:

- `DefaultConstructible`, `MoveConstructible`, `CopyConstructible`
- `MoveAssignable`, `CopyAssignable`,
- `Destructible`
- `EqualityComparable`, `LessThanComparable`
- `Predicate`, `BinaryPredicate`
- `Compare`
- `FunctionObject`
- `Container`, `SequenceContainer`, `ContiguousContainer`, `AssociativeContainer`
- `Iterator`
  - `InputIterator`, `OutputIterator`
  - `ForwardIterator`, `BidirectionalIterator`, `RandomAccessIterator`

# Template Constraints Using C++17 Concepts

## An example: Balanced reduction

```
template<ForwardIterator I, BinaryOperation Op>
    requires EqualityComparable<ValueType<I>, Domain<Op>>>()
Domain<Op> reduce(I it, DistanceType<I> n, Op op)
// precondition: n != 0, "op" is associative
{
    if (n == 1)
        return *it;

    DistanceType<I> h = n / 2;

    return op( reduce(it, h, op),
              reduce(it + h, n - h, op) );
}
```

\*\*\* For a better/efficient implementation of a generic **reduce**, see the longer (complex) implementation from *Elements of Programming*, by Alexander Stepanov.

## Compare Concept

Why is this one special ?

Because ~50 STL facilities (algorithms & data structures) expect a *Compare* type.

```
template< class RandomIt, class Compare >  
void sort( RandomIt first, RandomIt last, Compare comp );
```

Concept relations:

*Compare* << *BinaryPredicate* << *Predicate* << *FunctionObject* << *Callable*

A type satisfies *Compare* if:

- it satisfies *BinaryPredicate* `bool comp(*iter1, *iter2);`
- it establishes a ***strict weak ordering*** relationship

Irreflexivity	$\forall a, \text{comp}(a, a) == \text{false}$
Antisymmetry	$\forall a, b, \text{if } \text{comp}(a, b) == \text{true} \Rightarrow \text{comp}(b, a) == \text{false}$
Transitivity	$\forall a, b, c, \text{if } \text{comp}(a, b) == \text{true} \text{ and } \text{comp}(b, c) == \text{true} \Rightarrow \text{comp}(a, c) == \text{true}$

{ partial ordering }

## Compare Examples

```
vector<string> v = { ... };
```

```
sort(v.begin(), v.end());
```

```
sort(v.begin(), v.end(), less<>());
```

```
sort(v.begin(), v.end(), [](const string & s1, const string & s2)
{
    return s1 < s2;
});
```

```
sort(v.begin(), v.end(), [](const string & s1, const string & s2)
{
    return strcmp(s1.c_str(), s2.c_str()) < 0;
});
```

## Compare Examples

```
struct Point { int x; int y; };  
vector<Point> v = { ... };  
  
sort(v.begin(), v.end(), [](const Point & p1, const Point & p2)  
{  
    return (p1.x < p2.x) && (p1.y < p2.y);  
});
```

Is this a good *Compare* predicate for 2D points ?

## Compare Examples

Definition:

`if comp(a,b) == false && comp(b,a) == false`  
`=> a and b are equivalent`

Let { P1, P2, P3 }

`x1 < x2; y1 > y2;`

`x1 < x3; y1 > y3;`

`x2 < x3; y2 < y3;`

=>

P2 and P1 are unordered (P2 ? P1) `comp(P2,P1) == false` && `comp(P1,P2) == false`

P1 and P3 are unordered (P1 ? P3) `comp(P1,P3) == false` && `comp(P3,P1) == false`

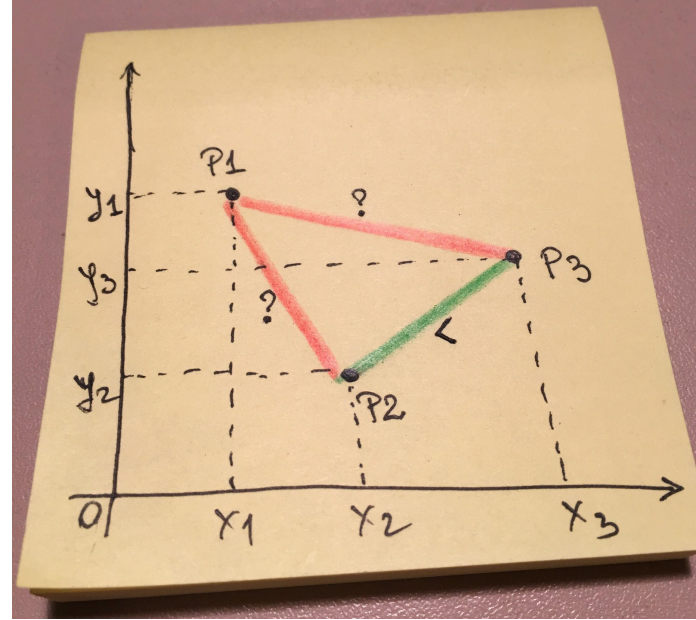
P2 and P3 are ordered (P2 < P3) `comp(P2,P3) == true` && `comp(P3,P2) == false`

=>

P2 is **equivalent** to P1

P1 is **equivalent** to P3

P2 is **less than** P3





## Compare Concept

**Partial ordering** relationship: *Irreflexivity* + *Antisymmetry* + *Transitivity*

**Strict weak ordering** relationship: **Partial ordering** + *Transitivity of Equivalence*

**Total ordering** relationship: **Strict weak ordering** + **equivalence** must be the same as **equality**

Irreflexivity	$\forall a, \text{comp}(a, a) == \text{false}$
Antisymmetry	$\forall a, b, \text{if } \text{comp}(a, b) == \text{true} \Rightarrow \text{comp}(b, a) == \text{false}$
Transitivity	$\forall a, b, c, \text{if } \text{comp}(a, b) == \text{true} \text{ and } \text{comp}(b, c) == \text{true} \Rightarrow \text{comp}(a, c) == \text{true}$
<b>Transitivity of equivalence</b>	<b>if a is equivalent to b and b is equivalent to c =&gt; a is equivalent to c</b>

## Compare Examples

```
struct Point { int x; int y; };  
vector<Point> v = { ... };  
  
sort(v.begin(), v.end(), [](const Point & p1, const Point & p2)  
{  
    return (p1.x * p1.x + p1.y * p1.y) <  
            (p2.x * p2.x + p2.y * p2.y);  
});
```

Is this a good Compare predicate for 2D points ?

## Compare Examples

```
struct Point { int x; int y; };  
vector<Point> v = { ... };  
  
sort(v.begin(), v.end(), [](const Point & p1, const Point & p2)  
{  
    if (p1.x < p2.x) return true;  
    if (p2.x < p1.x) return false;  
    return p1.y < p2.y;  
});
```

Is this a good Compare predicate for 2D points ?

## Compare Examples

The general idea is to pick an **order** in which to compare *elements/parts* of the object.  
(in our example we first compared by **x** coordinate, and then by **y** coordinate for equivalent **x**)

This strategy is analogous to how a **dictionary** works, so it is often called "*dictionary order*", or "*lexicographical order*".

The STL implements dictionary ordering in at least three places:

**std::pair<T, U>** - defines the six comparison operators in terms of the corresponding operators of the pair's components

**std::tuple< ... Types>** - generalization of pair

**std::lexicographical\_compare()** algorithm

- Two ranges are compared element by element
- The first mismatching element defines which range is lexicographically *less* or *greater* than the other
- ...

## Prefer Member Functions To Similarly Named Algorithms

The following member functions are available for *associative containers*:

- `.count()`
- `.find()`
- `.equal_range()`
- `.lower_bound()` // only for ordered containers
- `.upper_bound()` // only for ordered containers

The following member functions are available for *list containers*:

- `.remove()`      `.remove_if()`
- `.unique()`
- `.sort()`
- `.merge()`
- `.reverse()`

These member functions are always **faster** than their similarly named generic algorithms.

Why? They can leverage the *implementation details* of the underlying data structure.

## Prefer Member Functions To Similarly Named Algorithms

```
set<string> s = {...}; // 1 million elements

// worst case: 40 comparisons, average: 20 comparisons
auto it = s.find("stl");
if (it != s.end()) {...}

// worst case: 1 million comparisons, average: ½ million comparisons
auto it = std::find(s.begin(), s.end(), "stl");
if (it != s.end()) {...}
```

Why ?

# Prefer Member Functions To Similarly Named Algorithms

`std::list<>` specific algorithms

`std::sort()` doesn't work on lists (Why?)

=> call `.sort()` member function

`.remove()` and `.remove_if()` don't need to use the **erase/remove idiom**.  
They directly remove matching elements from the list.

`.remove()` and `.remove_if()` are more efficient than the generic algorithms,  
because they just relink nodes with the need to copy or move elements.

## Binary search operations (on sorted ranges)

```
binary_search() // helper (incomplete interface - Why ?)
lower_bound()  // returns an iter to the first element not less than the given value
upper_bound()  // returns an iter to the first element greater than the certain value

equal_range() = { lower_bound(), upper_bound() }

// properly checking return value
auto it = lower_bound(v.begin(), v.end(), 5);
if ( it != v.end() && (*it == 5) )
{
    // found item, do something with it
}
else // not found, insert item at the correct position
{
    v.insert(it, 5);
}
```



# Binary search operations (on sorted ranges)

## Counting elements equal to a given value

```
vector<string> v = { ... }; // sorted collection
size_t num_items = std::count(v.begin(), v.end(), "stl");
```

Instead of using `std::count()` generic algorithm, use binary search instead.

```
auto range = std::equal_range(v.begin(), v.end(), "stl");
size_t num_items = std::distance(range.first, range.second);
```

# Extend STL With Your Generic Algorithms

Eg.

```
template<class Container, class Value>
void name_this_algorithm(Container & c, const Value & v)
{
    if ( find(begin(c), end(c), v) == end(c) )
        c.emplace_back(v);
    assert( !c.empty() );
}
```

# Extend STL With Your Generic Algorithms

Eg.

```
template<class Container, class Value>
bool erase_if_exists(Container & c,
                    const Value & v)
{
    auto found = std::find(begin(c), end(c), v);
    if (found != end(c))
    {
        c.erase(found); // call 'erase' from STL container
        return true;
    }
    return false;
}
```

# Consider Adding Range-based Versions of STL Algorithms

```
namespace range {  
  
    template< class InputRange, class T > inline  
    typename auto find(InputRange && range, const T & value)  
    {  
        return std::find(begin(range), end(range), value);  
    }  
  
    template< class InputRange, class UnaryPredicate > inline  
    typename auto find_if(InputRange && range, UnaryPredicate pred)  
    {  
        return std::find_if(begin(range), end(range), pred);  
    }  
  
    template< class RandomAccessRange, class BinaryPredicate > inline  
    void sort(RandomAccessRange && range, BinaryPredicate comp)  
    {  
        std::sort(begin(range), end(range), comp);  
    }  
  
}
```

## Consider Adding Range-based Versions of STL Algorithms

```
vector<string> v = { ... };
```

```
auto it = range::find(v, "stl");  
string str = *it;
```

```
auto chIt = range::find(str, 't');
```

```
auto it2 = range::find_if(v, [](const auto & val) { return val.size() > 5; });
```

```
range::sort(v);
```

```
range::sort(v, [](const auto & val1, const auto & val2)  
             { return val1.size() < val2.size(); } );
```

# STL Abuse

```
vector<int> vec = { ... };  
int x = 3;  
int y = 9;  
  
vec.erase(  
    remove_if(  
        find_if(vec.rbegin(), vec.rend(),  
                bind2nd(greater_equal<int>(), y)).base(),  
        vec.end(),  
        bind2nd(less<int>(), x)),  
    vec.end());
```

*Please don't code like this !*

Extract algorithm **intermediate** results into **named** local variables  
(iterators, values, etc.)